

# — Electrostatics —

Physical Quantity	units
Electric (q, Q)	Coulomb (C)
Electric (I)	Ampere
Resistance (R)	Ohm ( $\Omega$ )
Capacitance (C)	Farad (F)
Inductance (L)	Henry
Magnetic Induction (B)	Tesla or Weber
frequency	Hertz (Hz)
force (F)	Newton (N)
Power (P)	watt (W)
Potential	Volt

## \* Electrostatics —

- Electrostatics is a branch of physics in which we study electric charges at rest. The charges at rest are produced due to friction between two insulating bodies which are rubbed against each other.
- which gives electrons are basically +ve.
- which take electrons are basically -ve.

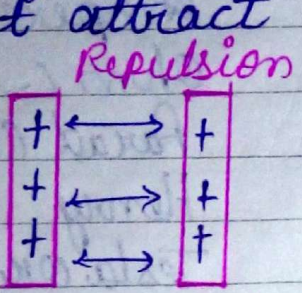
## \* Electric charge —

When a glass rod rubbed with silk is brought near to another glass rod which is already rubbed with silk then these two rods are repel each other similarly. Two ebonite rods rubbed with fur and

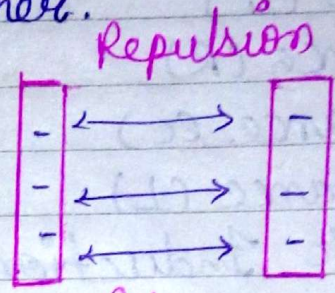
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bring them near to each other then we will observe that they will repel each other.

But a glass rod rubbed with silk and a glass ebonite rod rubbed with fur get attract each other.

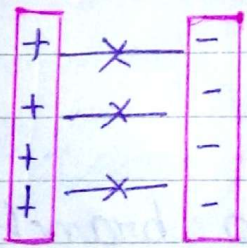


Glass rod



Ebonite rod

Attraction



Glass rod ebonite rod

- The object which transfer a quantity during the friction is called the electric charge.
- Same charges repel each other and diff. charges attract each other.

### \* Conductors, Insulators & Semi-Conductors -

#### (1) Conductors →

- The materials in which electrons are loosely bound and are capable to move from one

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place to another are called conductors.

- Flow of electrons in a conductor causes flow of charges and the flow of charge is termed as electric current.
- Ex - Silver, gold, aluminium, iron etc.

## (2) Insulators —

- The materials in which electrons are tightly bound that they are not capable to move freely in such materials current and heat cannot flow. These materials are called insulator.
- Ex - wood, plastic, rubber etc.

## (3) Semi-Conductors —

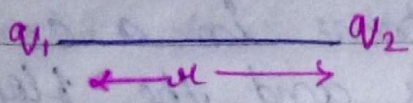
- There are some substances which are neither good conductors of electricity nor good insulators. These substances are called semi-conductors.
- Ex - Germanium, Silicon etc.
- In Semiconductors there are small free electrons & by increasing temperature electrons can be made free from atoms so conductivity increases by increasing temperature.

## ★ Dielectric Constants —

- Some insulators are called dielectric. It can't conduct electricity but when an external electric field is applied it induced charge appear on the outer surface of dielectric.
- Ex - Mica sheet.

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## ★ Coulomb's Law —



Acc. to this law the force of interaction betw. any two charges is directly proportional to the product of the magnitude of charges and inversely proportional to the square of the distance between them.

$$F \propto q_1 q_2 \quad \text{--- (A)}$$

$$F \propto \frac{1}{r^2} \quad \text{--- (B)}$$

From eq<sup>n</sup> (A) & (B)

$$F \propto \frac{q_1 q_2}{r^2}$$

then,

$$F = \frac{K q_1 q_2}{r^2} \quad \text{--- (C)}$$

electrostatic force constant

Coulomb's law for free space

Here  $K$  is  $\frac{1}{4\pi\epsilon_0}$

where  $\epsilon_0$  is permittivity in free space, or dielectric constant

$$K = 9 \times 10^9$$

unit of  $K$  is  $\frac{Nm^2}{C^2}$

$$\epsilon_0 = 8.85 \times 10^{-12}$$

unit  $\rightarrow C^2/Nm^2$

Coulomb's law for medium

$$F_m = \frac{1}{4\pi\epsilon_m} \frac{q_1 q_2}{r^2} \quad \text{--- (D)}$$

Permittivity in medium

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from eq<sup>n</sup> (C) & (D)

$$\frac{F}{F_m} = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r^2}$$

$$\frac{1}{4\pi\epsilon_m} \frac{q_1 q_2}{r^2}$$

$$\frac{F}{F_m} = \frac{\epsilon_m}{\epsilon_0} = \epsilon_r \rightarrow \text{Relative permittivity}$$

Ex (1) → Calculate force between two charges of 1C each separated by 1m in vacuum.

Sol<sup>n</sup> → Formula →  $F = \frac{Kq_1 q_2}{r^2}$

Given →  $q_1 = q_2 = 1C$

$r = 1m$

$$F = \frac{9 \times 10^9 \times 1 \times 1}{(1)^2}$$

$$F = 9 \times 10^9 N$$

Ex (2) → Two equal charges are placed at a distance  $r$  m exerting force  $F$  N on each other what will be the new force  $F_1$  when—

- (1) The distance between charges is double
- (2) The magnitude of both charges are halved
- (3) The magnitude of each charge is doubled but distance betw. charge is halved.

Sol<sup>n</sup> → Let,  $q_1 = q_2 = q$

$$F = \frac{Kq_1 q_2}{r^2}$$

$$F = \frac{Kq^2}{r^2} \text{ --- (A)}$$

(i) Distance betw. charges  $\rightarrow 2r$

$$F_1 = \frac{Kq^2}{(2r)^2}$$

$$F_1 = \frac{Kq^2}{4r^2}$$

from eq<sup>n</sup> (A)

$$F_1 = \frac{F}{4}$$

(ii) Magnitude of both charges,

$$q_1 = q_2 = \frac{q}{2}$$

$$F_1 = \frac{K \left(\frac{q}{2}\right) \left(\frac{q}{2}\right)}{r^2}$$

$$F_1 = \frac{Kq^2}{4r^2}$$

$$F_1 = \frac{F}{4} \text{ — from eq<sup>n</sup> (A)}$$

(iii) Magnitude of charges,  $q_1 = q_2 = 2q$

$$\text{distance} \rightarrow \frac{r}{2}$$

Then,  $F_1 = \frac{K(2q)(2q)}{\left(\frac{r}{2}\right)^2}$

$$F_1 = \frac{K4q^2}{\frac{r^2}{4}}$$

$$F_1 = 16 \frac{Kq^2}{r^2}$$

$$F_2 = 16 \frac{Kq^2}{r^2}$$

$$F_2 = 16 FN$$

from eq<sup>n</sup> (A)

★ Conservation & quantization of charges —

(1) Quantization of charge —

- charge exists only in discrete manner or in the packets form. This is called quantisation of charge.

$$q = \pm ne \rightarrow 1.6 \times 10^{-19} \text{ C}$$

$$\rightarrow n = 0, \pm 1, \pm 2, \dots, \infty$$

$q = 0$

$\rightarrow q = \pm 1e = \pm 1 \times 1.6 \times 10^{-19} \text{ C} = \pm 1.6 \times 10^{-19}$

$\rightarrow q = \pm 2e = \pm 2 \times 1.6 \times 10^{-19} \text{ C}$

$\rightarrow q = \pm 3e = \pm 3 \times 1.6 \times 10^{-19} \text{ C} \dots \dots \infty$

The value of charge lying between these values are not possible

(2) Conservation of charge —

- The charge can neither be created nor be destroyed. Charges always develop in equal and opposite pairs.
- So, the total charge remain conserved.

★ Electric field (E) →

- Electric field of a charge is the space around the charge in which any other charge experiences the electrostatic force of attraction or repulsion.

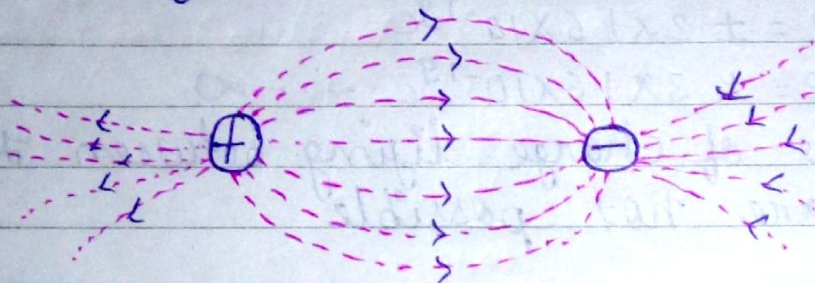
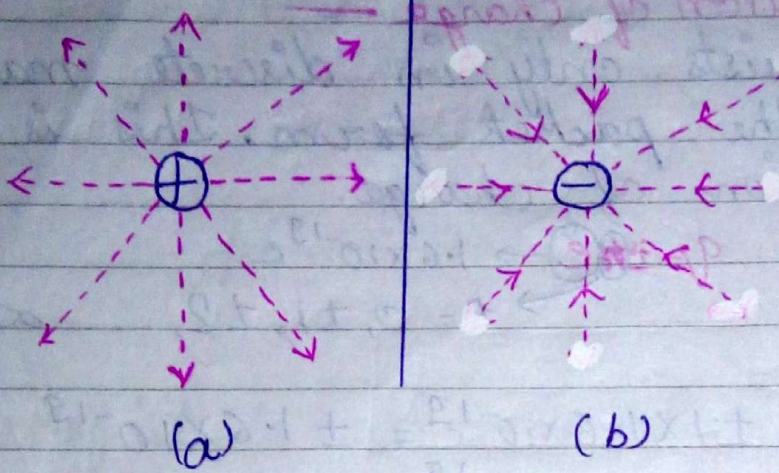
$$E = \frac{F}{q}$$

Unit  $\rightarrow \frac{\text{N}}{\text{C}}$  or  $\text{Nc}^{-1}$

$\rightarrow E = \frac{F}{q_1} \rightarrow E = \frac{kq_1q_2}{r^2 q_1} \rightarrow E = \frac{kq_2}{r^2}$

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LCZ

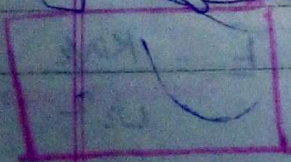
## ★ Electric lines of force —



★ In dig (a) → Some lines of force due to single +ve charge these are directed towards outwards. These lines are extended to  $\infty$

★ In dig (b) → Some lines of force due to single -ve charge these are directed towards inwards.

★ In dig (c) → If +ve charge and -ve are placed near them electric lines of force are directed from +ve charge to -ve charge.



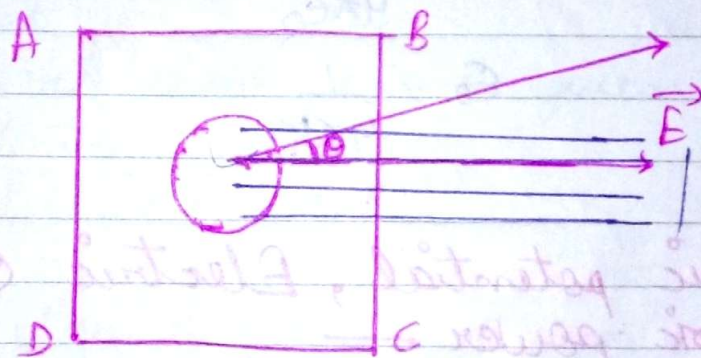
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## ★ Properties of Electric lines of force

- (1) These are imaginary curves.
- (2) Tangent to the line of force at any point gives the direction of electric field at that point.
- (3) No two lines of force can intersect each other.
- (4) These lines start from a +ve charge and end at -ve charge.

## ★ Electric flux ( $\phi$ ) —



- Electric flux over an area in an electric field is the total no. of electric line of force passing in area.

It is represented by  $\phi$ .

Electric flux for a small area

$$d\phi = \vec{E} \cdot d\vec{s}$$

$$d\phi = E ds \cos\theta \quad \text{--- (1)}$$

Electric field  $\rightarrow$  Small area

• Total flux —

$$\phi = \oint d\phi$$

$$\phi = \oint E \cdot d\vec{s} \quad \text{--- (2) [from eqn (1)]}$$

unit  $\rightarrow \text{Nm}^2\text{C}^{-1}$

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★ Gauss Law — electric flux

• Acc. to Gauss law electric flux, passing through a electric is equal to the product of total charge  $Q$  and of  $\frac{1}{\epsilon_0}$ .

$$\phi = \frac{Q}{\epsilon_0}$$

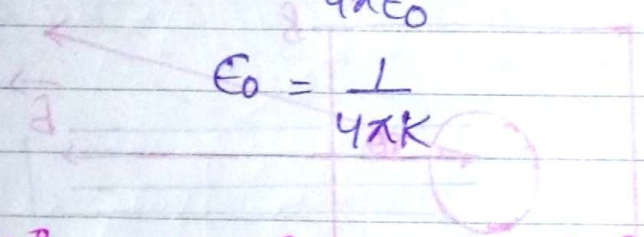
from eq<sup>n</sup> (2)

$$\phi = \frac{Q}{\epsilon_0} = \oint E \cdot ds$$

from Coulomb's law →

$$K = \frac{1}{4\pi\epsilon_0}$$

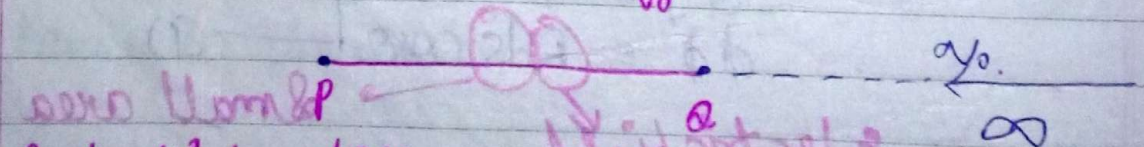
$$\epsilon_0 = \frac{1}{4\pi K}$$



★ Electric potential, Electric energy, Electric Electric power —

Electric potential → Electric potential at a point in the electric field is the amount of work done in moving a +ve charge from  $\infty$  to that point

$$V = \frac{W}{Q_0}$$



Potential difference → Electric potential diff. betw. two point  $a$  &  $p$  in an electric field is the amount of work done in moving +ve charge from  $a$  to  $p$ .

$$V_p - V_q = \frac{W}{Q_0}$$

$$V = \frac{KQ}{r}$$

### Electrical energy —

Electrical energy is denoted by  $U$ .

$$U = VQ$$

$$U = \frac{KQ_1 Q_2}{r}$$

we take  $Q_1, \epsilon_0, Q_2$   
bec. two charges  
are present

$$U = \frac{KQ_1^2 Q_2}{r}$$

Total work done for a given time is called electric energy.

$$U = W = VQ$$

### \* Electric Power — $P$

- Electric power is denoted by  $P$ .
- Work done per unit time is called power.

$$P = \frac{W}{T}$$

$$P = VI$$

$$P = IRI \rightarrow P = I^2 R$$

- unit of power is watt or Joule/sec or

$$P = V \times \frac{V}{R} \rightarrow P = \frac{V^2}{R}$$

### \* Capacitance & Capacitors — $C$

- The ability of conductor to store charge in it is called capacitance.

$$Q \propto V$$

$$C = \frac{Q}{V} \text{ or } Q = CV$$

capacitance of  
conductor

unit  $\rightarrow$  Farad (F)

$$1 \mu F = 10^{-6} F$$

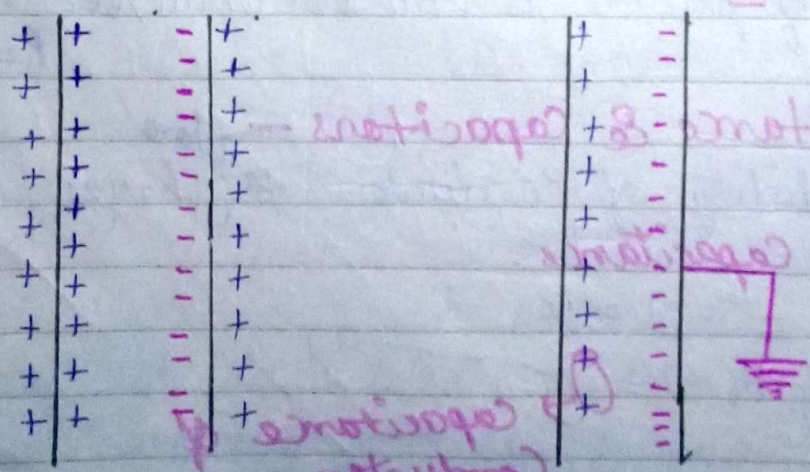
$$1 pF = 10^{-12} F$$

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• Capacitors are the arrangement by which a large amount of charge can be stored in small place.

Let, us consider a plate A which is charged with some +ve charge. From eq<sup>n</sup> (1) it is clear that by decreasing the value of V Capacity of conductor can be increased.

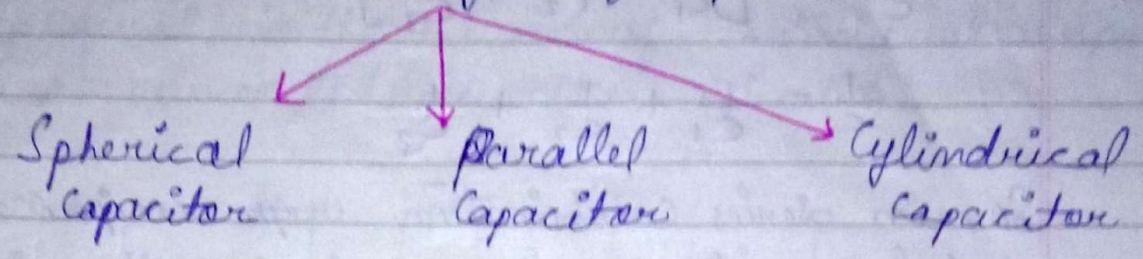
So, the value of potential can be decreased if another plate B is taken near to plate A, then negative charge is developed on plate B towards the plate A and equal +ve charge is developed on the other side of plate B. which move into the ground when it is connected to earth. So, potential reduces and capacity of conductor A increases.



Capacitor and Condenser are same.

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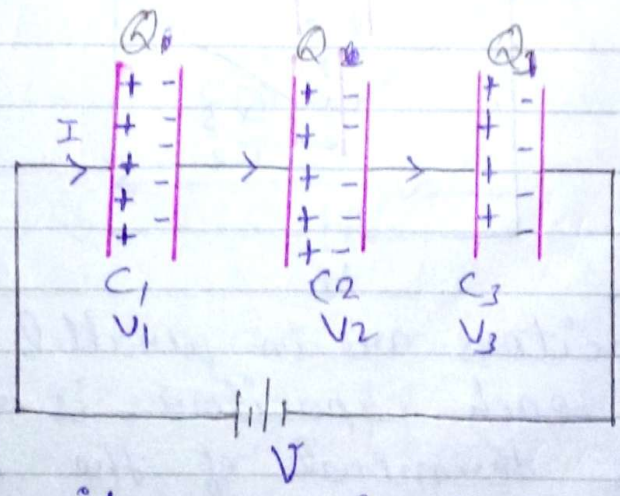
There are various types of capacitors



# ★ COMBINATIONS OF CAPACITOR -

- (1) Series combination
- (2) Parallel combination

(1) Series combination: —



The capacitors are in series when the 2nd plate of first capacitor is connected with the first plate of its following capacitors in a row.

$$Q = C_1 V_1, \quad Q = C_2 V_2 \quad \text{and} \quad Q = C_3 V_3$$

$$V_1 = \frac{Q}{C_1}, \quad V_2 = \frac{Q}{C_2}, \quad V_3 = \frac{Q}{C_3}$$

Total potential  $\rightarrow V = V_1 + V_2 + V_3$

$$\frac{Q}{C} = \frac{Q}{C_1} + \frac{Q}{C_2} + \frac{Q}{C_3}$$

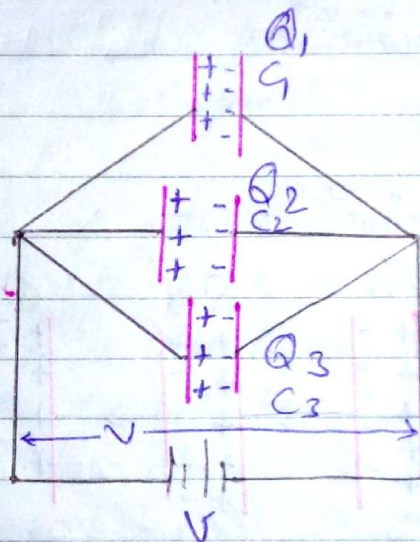
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$$\frac{Q}{C} = Q \left[ \frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3} \right]$$

$$\frac{1}{C} = \frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}$$

So, in series combination the reciprocal of total capacitance is equal to the sum of the reciprocals of individual capacitance connected in series.

## (2) Parallel Combination —



The capacitors are in parallel when first plate of each capacitor is connected with the one terminal of the battery and the second plate is connected with the another terminal of the battery.

$$Q_1 = C_1 V, \quad Q_2 = C_2 V, \quad Q_3 = C_3 V$$

$$Q = Q_1 + Q_2 + Q_3$$

$$C V = C_1 V + C_2 V + C_3 V$$

$$C V = V (C_1 + C_2 + C_3)$$

$$C_{se} = C_1 + C_2 + C_3$$

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So, in parallel combination total capacitance is equal to the sum of individual capacitances connected in the circuit.



Ques → Find equivalent capacitor?

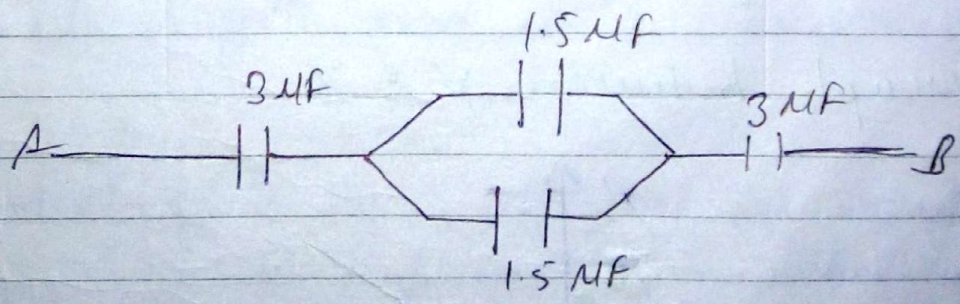
$$\rightarrow \frac{1}{C_s} = \frac{1}{C} + \frac{1}{C}$$

$$C_s = \frac{2C}{2} \text{ uF}$$

$$\text{Then, } C_{eq} = \frac{C}{2} + C$$

$$C_{eq} = \frac{3C}{2} \text{ uF}$$

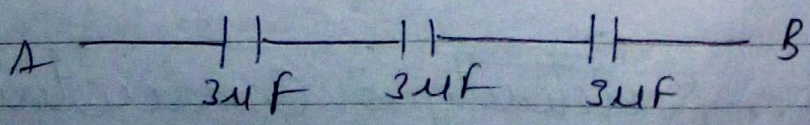
Ques →



$$C = C_1 + C_2$$

$$C = 1.5 + 1.5$$

$$C = 3 \text{ uF}$$



$$\frac{1}{3} + \frac{1}{3} + \frac{1}{3} = \frac{1+1+1}{3} = \frac{3}{3} = 1 \text{ uF}$$

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### ★ Electric current →

The electric current is defined as the rate of flow of charges through a conductor per unit time is called electric current.

$$I = \frac{dq}{dt} \rightarrow \text{for small part}$$

unit of current is coulomb/sec or Ampere (A)

### ★ Ohm's law →

Ohm's law states that the potential difference of the conductor is directly proportional to the current flowing through the conductor.

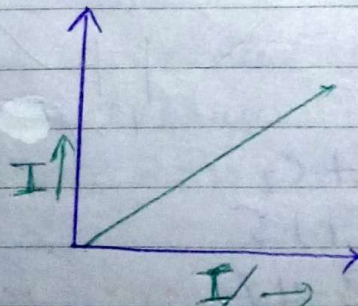
$$V \propto I$$

$$V = RI \text{ or } V = IR$$

$$R = \frac{V}{I}$$

$R$  is a constant called resistor  
unit of  $R$  is volt/A or  $\Omega$  (ohm).

Graph between  $V$  &  $I$ .



### ★ Resistance, Resistivity & Conductivity —

(R)

( $\rho$ )

( $\sigma$ )

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- Obstruction produced by the conductor to the flow of charges (flow of current) is called resistance of the conductor.
- The resistance of conductor depends upon following factors —

(1) length of wire  $\rightarrow R \propto l$  — (1)

(2) Cross-section area of wire  $\rightarrow R \propto \frac{1}{A}$  — (2)

from (1) & (2)

$$R \propto \frac{l}{A}$$

$R = \frac{\rho l}{A}$   $\rho$  is a constant is called resistivity or specific resistance

$$\rho = \frac{R A}{l}$$

$\rightarrow$  unit of  $\rho \rightarrow \frac{\text{ohm m}^2}{\text{m}} = \text{ohm m}$

Thus, electrical resistivity of the material is equal to the resistance of wire of unit length and unit cross-section area

★ Conductivity  $\rightarrow (\sigma)$

Conductivity is the reciprocal of resistivity

$$\sigma = \frac{1}{\rho} = \frac{1}{\text{ohm-m}} = \text{ohm}^{-1} \text{m}^{-1} \text{ or } \text{mho m}^{-1}$$

★ Electromotive force and Terminal potential difference —

Electromotive force  $\rightarrow$

Electromotive force of a cell is the maximum potential difference between the cells when it is in the open circuit, i.e. when no current is drawn from the cell

Terminal potential difference  $\rightarrow$

The potential difference between the cell in a closed circuit i.e. when current is drawn from the cell is called terminal potential difference

$$E = V + Ir$$
 ( $E > V$ )

### \* Series and Parallel Combination of Resistance

#### (i) Series Combination $\leftarrow$

In diagram three resistances  $R_1, R_2$  and  $R_3$  are connected in series.  $V_1, V_2, V_3$  are the potential difference across  $R_1, R_2, R_3$ , respectively

Acc. to Ohm's law -

$$V = IR$$

$$V_1 = IR_1$$

$$V_2 = IR_2$$

$$V_3 = IR_3$$

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$$V = V_1 + V_2 + V_3$$

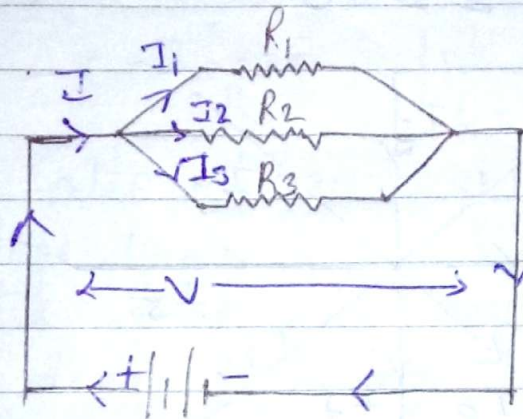
$$IR = IR_1 + IR_2 + IR_3$$

$$IR = I(R_1 + R_2 + R_3)$$

$$R_s = R_1 + R_2 + R_3$$

Resistance in series is equal to the sum of the individual resistance.

(2) Resistance in parallel -



$$V = IR \rightarrow I = V/R$$

$$\text{Resistance of } V = I_1 R_1 \rightarrow I_1 = V/R_1$$

$$\text{Resistance of } = I_2 R_2 \rightarrow I_2 = V/R_2$$

$$\text{Resistance of } = I_3 R_3 \rightarrow I_3 = V/R_3$$

$$I = I_1 + I_2 + I_3$$

$$\frac{V}{R} = \frac{V}{R_1} + \frac{V}{R_2} + \frac{V}{R_3}$$

$$\frac{V}{R} = V \left[ \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right]$$

$$\frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

If  $n$  resistance are connected in parallel,

$$\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots + \frac{1}{R_n}$$

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★ Kirchoff's law →

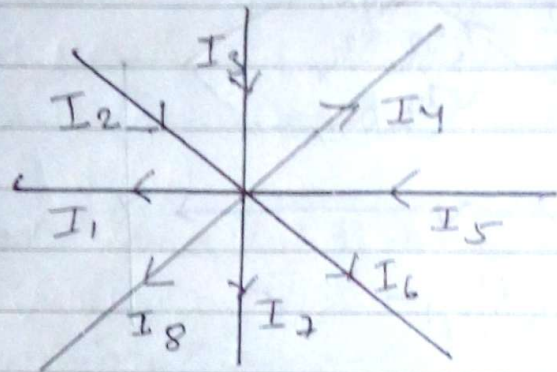
(1) First law →

In an electric circuit, the algebraic sum of currents at any junction is zero.

OR.

The sum of currents entering a junction is equal to the sum of currents leaving that junction.

$$\sum I = 0$$



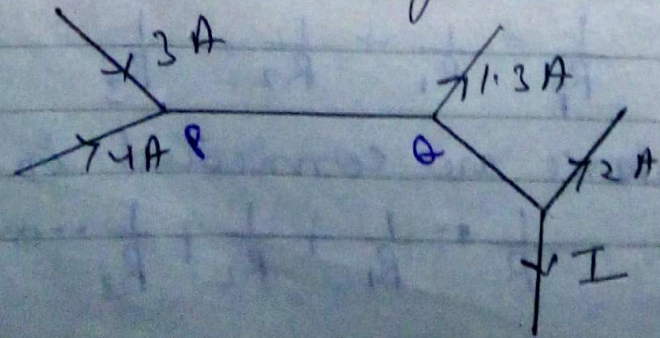
$$-I_1 + I_2 + I_3 - I_4 + I_5 - I_6 - I_7 - I_8 = 0$$

$$\rightarrow I_2 + I_3 + I_5 = I_1 + I_6 + I_7 + I_8$$

• Sign Convention →

- (i) The current flowing in a circuit towards the junction is taken as positive and current flowing away from the junction is taken as negative.

Ques → In the following diagram find the value of current I in given branch?



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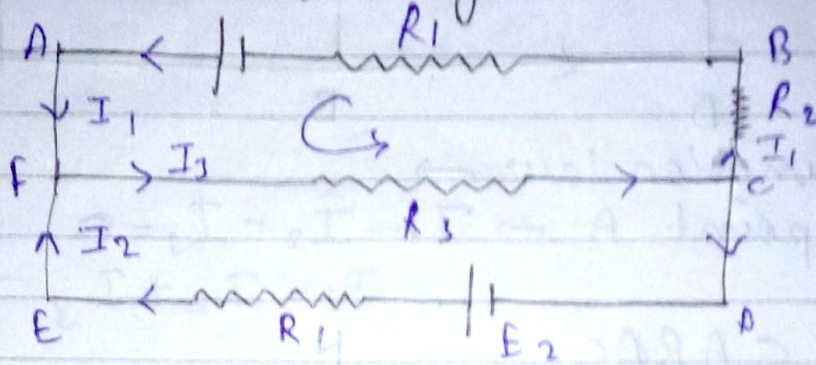
Sol<sup>n</sup> →

$$I = 3 + 4 - 1 \cdot 3 = 2$$

$$I = 7 - 3 \cdot 3$$

$$I \Rightarrow 3.7 \text{ A}$$

(2) Second law → Voltage law or loop law →



This is also known as Kirchhoff's loop law or voltage law.

It states that in any closed circuit, the algebraic sum of voltage is equal to the sum of E.M.F. in that loop.

$$\sum E = \sum V$$

$$\sum E = \sum IR$$

(A) If the direction of current is along the path then E.M.F. of cell is taken +ve otherwise -ve.

(B) The voltage drop on resistance is taken positive if one moves in the direction of current and is taken -ve if one moves in the opp. dir<sup>n</sup> of current.

Closed loop A F C B A

$$I_3 R_3 + I_1 R_2 + I_1 R_1 = E_1 \quad \text{--- (1)}$$

Closed loop A E D B A

$$-I_2 R_4 + I_1 R_2 + I_1 R_1 = E_1 - E_2 \quad \text{--- (2)}$$

### \* Parallel plate Capacitor →

The simplest and the # most widely used capacitor is the parallel plate capacitor.

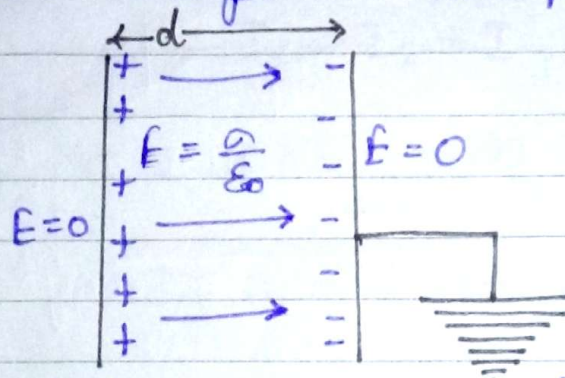
It consists of two large <sup>home</sup> parallel conducting plates, separated by a small distance.

$A$  = Area of each plate

$d$  = Distance between the two plates

$\pm \sigma$  = Uniform charge densities on the two plates

$\pm Q$  = Total charge on each plate.



Electric field between two plates.  $E = \frac{\sigma}{\epsilon_0}$  — (1)

$\sigma$  is surface charge densities.  $\sigma = \frac{Q}{A}$  — (2)

From eq<sup>n</sup> (1) & (2)

$$E = \frac{Q}{\epsilon_0 A} \text{ — (3)}$$

potential difference between these plates is

$$V = E d$$

$$V = \frac{Q d}{\epsilon_0 A} \text{ — [from eq<sup>n</sup> (3)]}$$

Capacity,  $C = \frac{Q}{V} \rightarrow C = \frac{Q}{\frac{Q d}{\epsilon_0 A}}$

$$C = \frac{Q \times \epsilon_0 A}{Q d} \rightarrow C = \frac{\epsilon_0 A}{d} \text{ Farad}$$

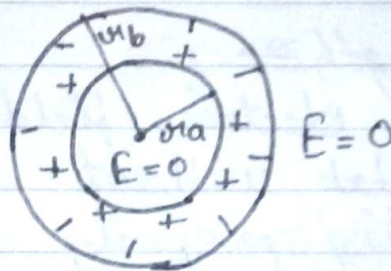
## \* Spherical plate capacitor →

A spherical capacitor consist of two concentric spheric shells of inner and outer radii  $r_a$  and  $r_b$ .

The two shells carry charges  $+Q$  and  $-Q$  respectively.

Inside a hollow conductor,  $E$  is 0.

Outside the outer shell electric field is also 0.



$$V = \frac{KQ}{R}$$

$$V = V_A - V_B$$

$$V = \left[ \frac{KQ}{r_a} - \frac{KQ}{r_b} \right]$$

$$V = KQ \left[ \frac{1}{r_a} - \frac{1}{r_b} \right]$$

$$V = KQ \left[ \frac{r_b - r_a}{r_a r_b} \right]$$

$$C = \frac{Q}{V}$$

$$C = \frac{Q}{KQ \left[ \frac{r_b - r_a}{r_a r_b} \right]}$$

$$C = \frac{r_a r_b}{K(r_b - r_a)} \rightarrow C = \frac{r_a r_b}{\frac{1}{4\pi\epsilon_0} (r_b - r_a)}$$

$$C = 4\pi\epsilon_0 \frac{r_a r_b}{r_b - r_a}$$

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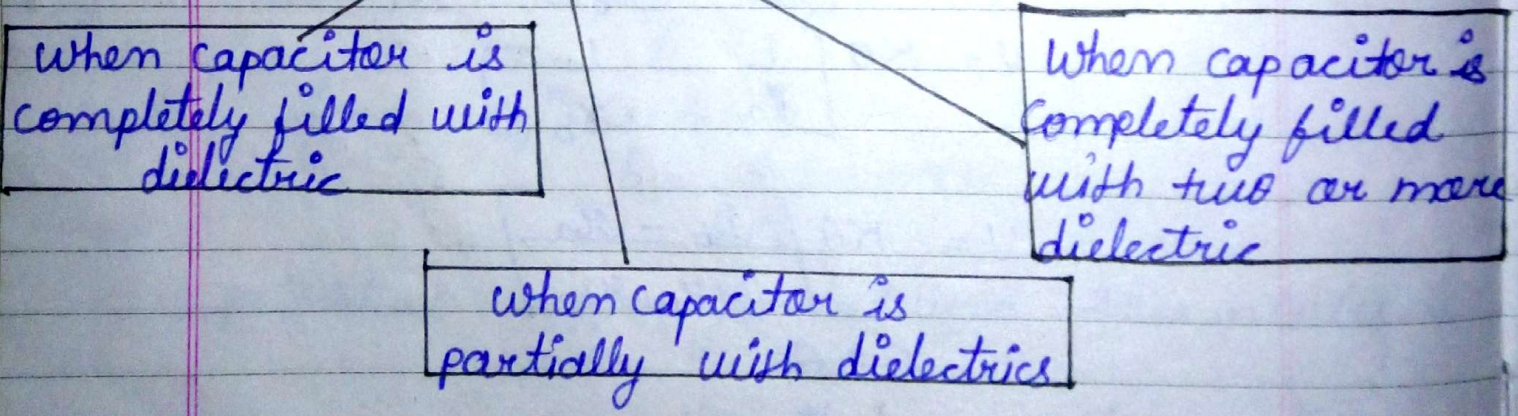
★ Dielectric → Substance in

- A dielectric substance is a substance which does not allow the flow of charges through it but permits them to exert electrostatic forces on one another through it.
- A dielectric is essentially an insulator which can be polarised through small localised displacements of its charges.

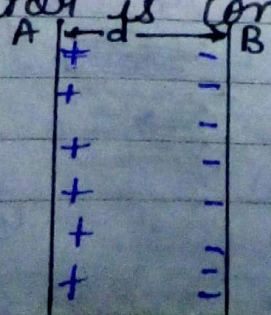
★ Dielectric Strength →

The maximum electric field that can exist in a dielectric slab without causing the breakdown of its insulating property is called dielectric strength of the material.

★ Capacitors with dielectric →



(i) when capacitor is completely with dielectric -



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Capacity of parallel plate capacitor is —

$$C_0 = \frac{\epsilon_0 A}{d} \quad \text{--- (1)}$$

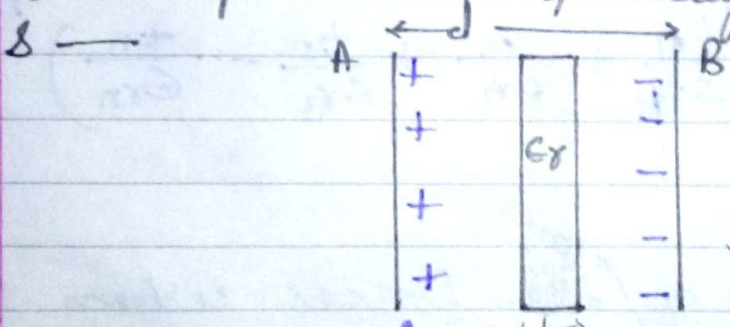
$$C_m = \frac{\epsilon_0 \epsilon_r A}{d} \quad \text{--- (2)} \quad [\epsilon_m = \epsilon_0 \epsilon_r]$$

$$C_m = C_0 \epsilon_r$$

from eq<sup>n</sup> (1) & (2)

$$\frac{C_0}{C_m} = \frac{\frac{\epsilon_0 A}{d}}{\frac{\epsilon_0 \epsilon_r A}{d}} \Rightarrow \epsilon_r$$

(ii) When capacitor is partially filled with dielectric  $\epsilon_r$  —



potential —  $\leftarrow t \rightarrow$

$$V = E_0 (d-t) + E_m t$$

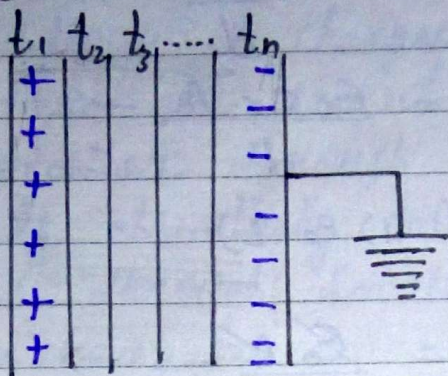
$$V = \frac{Q}{\epsilon_0 A} (d-t) + \frac{Q t}{\epsilon_0 \epsilon_r A}$$

$$V = \frac{Q}{\epsilon_0 A} \left[ d-t + \frac{t}{\epsilon_r} \right]$$

$$C = \frac{Q}{V}$$

$$C = \frac{Q}{\frac{Q}{\epsilon_0 A} \left[ d-t + \frac{t}{\epsilon_r} \right]} \rightarrow C = \frac{\epsilon_0 A}{d-t + \frac{t}{\epsilon_r}}$$

(ii) When Capacitors is filled with two or more dielectrics



Let, the capacitor is filled with the dielectric constant  $\epsilon_{r1}, \epsilon_{r2}, \epsilon_{r3}, \dots, \epsilon_{rn}$  with thickness  $t_1, t_2, t_3, \dots, t_n$  respectively

$$C_m = \frac{\epsilon_0 A}{\left( \frac{t_{01}}{\epsilon_{r1}} + \frac{t_{02}}{\epsilon_{r2}} + \frac{t_{03}}{\epsilon_{r3}} + \dots + \frac{t_n}{\epsilon_{rn}} \right)} \quad \text{Series}$$

Ques  $\rightarrow$  find the ratio of  <sup>$10^{-3}$</sup>  the forces when two charges of  $1.5 \text{ } \mu\text{C}$  and  $0.2 \text{ } \mu\text{C}$  are placed at a distance of  $1 \text{ m}$  in free space two inner medium having permittivity  $2\epsilon_0$ ?

Solution  $\rightarrow$  Given  $\begin{cases} q_1 = 1.5 \text{ } \mu\text{C} = 1.5 \times 10^{-3} \text{ C} \\ q_2 = 0.2 \text{ } \mu\text{C} = 0.2 \times 10^{-3} \text{ C} \end{cases}, r = 1 \text{ m}$

$$F = \frac{k q_1 q_2}{r^2}, \quad F_m = \frac{k q_1 q_2}{r^2}$$

$$F_0 = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r^2}, \quad F_m = \frac{1}{4\pi 2\epsilon_0} \frac{q_1 q_2}{r^2}$$

$$\frac{F_0}{F_m} = \frac{\frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r^2}}{\frac{1}{4\pi 2\epsilon_0} \frac{q_1 q_2}{r^2}}$$

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$$\frac{F_o}{F_m} = \frac{2\epsilon_0}{\epsilon_0} \Rightarrow 2:1$$

Ratio of the forces is 2:1

Ques If the area of parallel plate capacitor is doubled and the distance between plates is half then what will be the effect of capacitance?

Ans- formula =  $C = \frac{\epsilon_0 A}{d}$

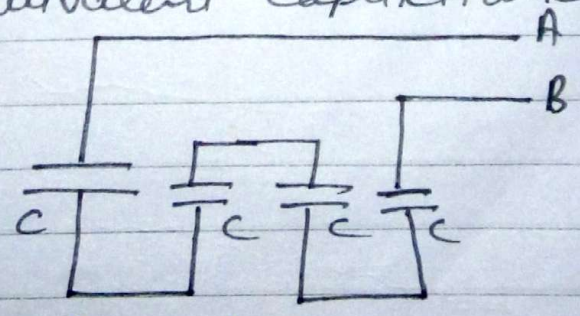
Given  $\left\{ \begin{array}{l} A = 2A \\ d = d/2 \end{array} \right.$

$$\Rightarrow C_1 = \frac{\epsilon_0 A \times 2 \times \frac{2}{d}}$$

$$\Rightarrow C_1 = \frac{4 \epsilon_0 A}{d}$$

$$\Rightarrow C_1 = 4C$$

Ques  $\rightarrow$  find equivalent capacitance between A & B?



Solution  $\rightarrow$

$$\frac{1}{C_s} = \frac{1}{C} + \frac{1}{C} + \frac{1}{C} + \frac{1}{C}$$

$$\frac{1}{C_s} = \frac{4}{C}$$

$$C_s = \frac{C}{4}$$

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