

Unit 3

★ Queue :- Linear data structure in which insertion is done at the end of point r/a the rear and deletion at the first end point, r/a the front.

- Front and rear are Queue pointers.

2 operations of queue in array :-

1. Insert
2. Delete

1. QINSERT (Queue, N, Front, Rear, Ele)

1. If $Rear = N$ then
write: overflow and exit.

2. If $Front = 0$ then
 $Front := Rear := 1$

else
 $rear := rear + 1$

3. Set $Queue [rear] := Ele$

4. Exit.

2. QDELETE (Queue, N, Front, Rear, ele)

1. If $Front = 0$ then
write: underflow and exit

2. Set $element := Queue [Front]$

3. If $front = Rear$
Set $front := rear := 0$.

else

Set $front := front + 1$

4. Exit.

- ★ Circular Queue:- In circular queue all nodes are treated as circular. Last node is connected back to the first node. Circular queue is also k/a Ring Buffer.
- It is an abstract data types.
 - Circular queue contains a collection of data which allow insertion of data at the end of the queue and deletion of data at the beginning of the queue.

2 operation of circular queue in an array:-

1. Insert

2. Delete

1. Insert (Queue, N, Front, Rear, ele)

1. If $(FRONT = 1 \text{ and } Rear = N)$ or $(Front = Rear + 1)$
write : overflow and exit.

2. If $front = 0$ then
 $front := Rear := 1$

else

$rear := rear + 1$

3. Set $Queue[Rear] := Ele$.

4. Exit

2. DELETE (Queue, N, Front, Rear, Ele)

1. If front = 0 then

write: Underflow and exit

2. Set $ele := Queue[Front]$

3. If front = Rear

Set front := Rear := 0

else if front = N then

Set front := 1

else

front := front + 1

4. Exit

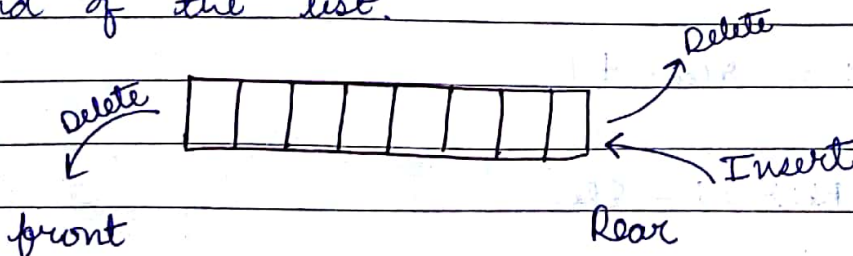
★ DEQueue:- (Double ended Queue):→

In double ended Queue, insert and delete operation can be occur at both ends that is front and rear of the queue.

There are 2 types of DEQueue:-

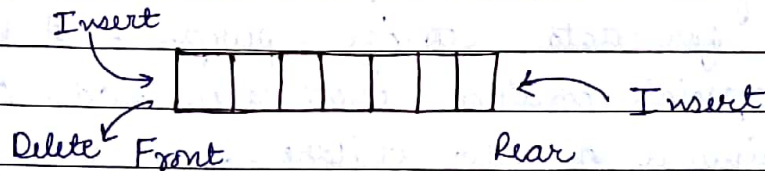
1. Input restricted Queue:-

- It is a deque, which allows insertion at only 1 end, rear end.
- It allows deletion at both ends, rear, and front end of the list.



2. Output restricted Queue :-

- It is a dequeue, which allows deletion at only one end front end
- It allows insertion at both ends, rear and front ends, of the list



★ Priority Queue :-

For Priority queue items are ordered by key values so that item with the lowest value of key is at front and item with the highest value of key is at rear or vice versa.

Priority/Queue	1	2	3	4	5	6	7	8
1		AA						
2	BB	CC	DD	LL				
3	MM							
4	HH	KK						
5					EE	FF	GG	PP
6			II	JJ				

X

★ TREE:- It is a non-linear data structure.

• Tree represents the node connected by edges.

1. Binary tree :- Binary Tree is a special data structure used for data storage purpose. A binary tree is a special condition that each node can have a maximum of two children.

2. Complete binary tree :- A complete binary tree is a tree that is completely filled, with the possible exception of the bottom level. The bottom level is filled from left to right.

Binary Search Tree :- A binary search tree is a binary tree it may be empty. If it is not empty then it satisfies the following properties.

(i) Every node (element) has the key (value) and no two element (node) have the same value.

(ii) The value in the left sub tree are smaller than the value in the root.

(iii) The values in right sub tree are greater than the value in the root.

(iv) The left and right sub tree are also binary search tree.

Representation of a binary tree :-

1. Array
2. linked list.

X Traversing in Binary Search tree :-

- | | | | | |
|----|-----------------------|------|-------|-------|
| 1. | Inorder Traversing | Left | Node | Right |
| 2. | Pre order Traversing | Node | Left | Right |
| 3. | Post order Traversing | Left | Right | Node |

Inorder Traversing using recursion :-

```
void inorder (node * root)
{
    if (root != NULL)
    {
        inorder (root -> left);
        printf ("%d", root -> info);
        inorder (root -> right);
    }
}
```

① Traversing in a Binary tree :-

(a) Inorder Traversing using stack :-

INORDER (Info, left, right, root).

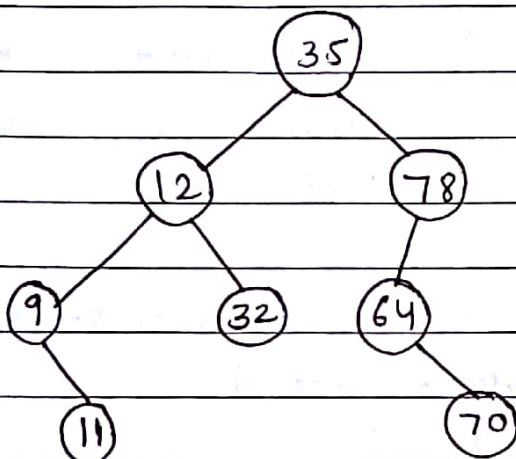
1. Set $top := 1$, $stack[1] := NULL$ and $ptr := start$
2. Repeat while $ptr \neq NULL$
 - a) Set $TOP := TOP + 1$ and $stack[top] := ptr$.
 - b) Set $ptr := left[ptr]$.
3. Set $ptr := stack[Top]$ and $Top := Top - 1$.
4. Repeat steps 5 to 7 while $ptr \neq NULL$
5. Apply process to $info[ptr]$.
6. If $right[ptr] \neq NULL$ then

(a) Set $Ptr := right [Ptr]$

(b) Go to step 2

7. Set $Ptr := stack [Top]$ and $Top := Top - 1$.

8. Exit.



Inorder :- 9, 11, 12, 32, 35, 64, 70, 78.

(b) Preorder Traversing using stack :-

PREORDER (Info, left, right, root)

1. Set $top := 1$, $stack [1] := NULL$ and $Ptr := ~~stack~~ ^{stack}$

2. Repeat step 3 to 5 while $Ptr \neq NULL$

3. Apply process to Info [Ptr]

4. If $right [Ptr] \neq NULL$ then

Set $top := top + 1$ and $stack [top] := right [Ptr]$

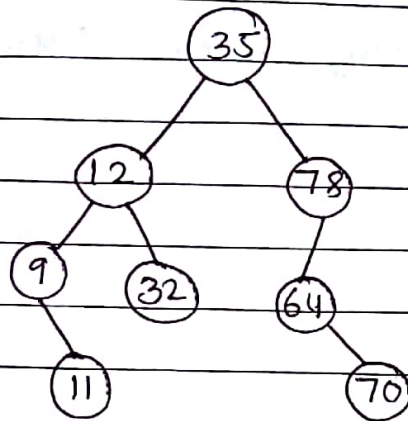
5. If $left [Ptr] \neq NULL$ then

Set $Ptr := left [Ptr]$

else

Set $Ptr := stack [top]$ and $top := top - 1$.

6. Exit.

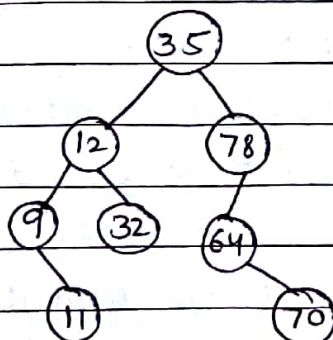


Preorder :-

(c) Postorder Traversing using stack :-

POSTORDER (info, left, right, root).

1. Set $TOP := 1$, $stack[1] := NULL$ and $Ptr := root$.
2. Repeat steps 3 to 5 while $Ptr \neq NULL$.
3. Set $TOP := TOP + 1$ and $stack[TOP] := ptr$
4. If $right[Ptr] \neq NULL$ then
Set $TOP := top + 1$ and $stack[Top] := -right[Ptr]$.
5. Set $Ptr := left[Ptr]$
6. Set $Ptr := stack[top]$ and $top := top - 1$.
7. Repeat while $Ptr > 0$
 - (a) Apply process to $info[Ptr]$
 - (b) Set $Ptr := stack[top]$ and $top := top - 1$.
8. If $Ptr < 0$ then
 - (a) Set $ptr := -ptr$
 - (b) Go to step 2.
9. Exit.



Operations on Binary search Tree :-

1. Traversing
2. Searching
3. Insertion
4. Deletion

Algorithm Rsearch

```
{  
    if (t=0) then  
        return 0;  
    else if (x=t -> data) then  
        return t;  
    else if (x < t -> data) then  
        return Rsearch (t -> lchild, x);  
    else  
        return Rsearch (t -> rchild, x);  
}
```

Algorithm iterative lsearch (root, x)

```
{  
    found := false  
    t := root  
    while (t != 0 and not found) do  
    {  
        if (x = (t -> data)) then  
            found := true;  
        else if (x < (t -> data)) then  
            t := (t -> lchild);  
        else  
            t := (t -> rchild);  
    }  
}
```

```

if (not found) then
    return 0
else
    return t;
}

```

Algorithm Insertion (root, x)

```
{
```

```
    found := false;
```

```
    p := root;
```

```
    while (p ≠ Null and not found) do
    {
```

```
        q := p
```

```
        if (x = (p → data)) then
```

```
            found := true;
```

```
        else if (x < (p → data)) then
```

```
            p := (p → lchild);
```

```
        else
```

```
            p := (p → rchild);
```

```
    }
```

```
    if (not found) then
```

```
    {
```

```
        p := new Treenode;
```

```
        (p → lchild) := NULL;
```

```
        (p → rchild) := NULL;
```

```
        (p → data) := x;
```

```
    }
```

```
    if (root ≠ NULL) then
```

```
    {
```

```
        if (x < (q → data)) then
```

```
            (q → lchild) := p;
```


else

$(q \rightarrow rchild) := p;$

}

else

$root := p;$

}

}

X